

# Low Homeownership in Germany - A Quantitative Exploration

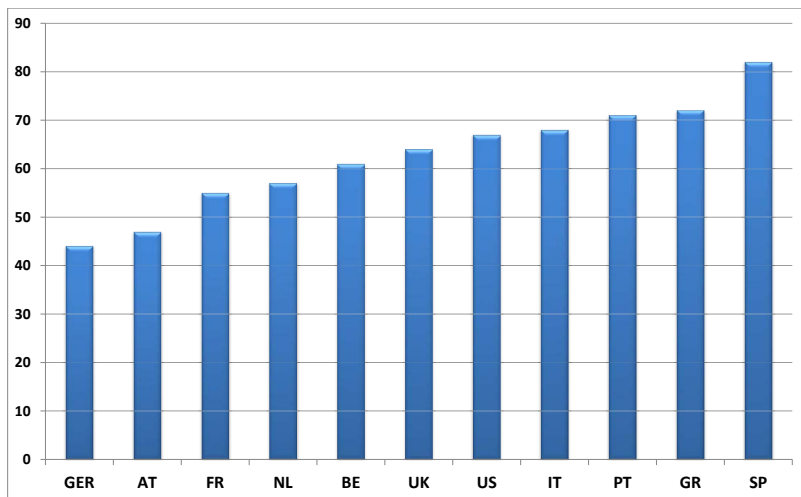
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## Homeownership rates (2010)



## Housing policies and homeownership

What is the role of **housing policies** for low homeownership in Germany?

- **Real estate transfer taxes (RETT)**
- **Social housing**
- **Mortgage interest deductions (MID)**
- Direct subsidies to (first-time) buyers
- Rental market regulation

▶ Country comparison

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⇒ **Need quantitative equilibrium model**

# This Paper

- Build OLG **model** with **heterogeneous households** .
- Income and housing risks
- Endogenous prices and rents
- **Calibrate** to German economy with given housing policies and (progressive) tax system
- Set **housing policies** to their levels in the U.S.
- Assess counterfactual **long-run impact** on
  - **Homeownership**
  - **Welfare** - overall and across the income distribution

## **Mortgage interest tax deductibility**

Gervais (2002), Chambers, Garriga & Schlagenhaut (2009), Cho and Francis (2011), Sommer and Sullivan (2016), Floetotto, Kirker & Stroebel (2016)

## **Real-estate transfer taxes and social housing**

Kopczuk and Munroe (2015), Sieg and Yoon (2017)

## **Homeownership over the life cycle**

Fernández-Villaverde and Yang (2009), Krueger (2011), Nakajima and Telyukova (2013), Halket and Vasudev (2014), Fischer and Khorunzhina (2014, 2016)

## **Homeownership across Europe**

Hilber (2007), Kaas, Kocharkov & Preugschat (2016), Kindermann and Kohls (2016)

MODEL

# Overview

- Small open economy: Exogenous interest rate  $r$
- Exogenous labor income
- Stationary environment
- Agents:
  - Households
  - Real estate firms
  - Construction firms
  - Government



# Households

- Stochastic life cycle with five age groups  $\tau = 1, \dots, 5$

25-34  $\xrightarrow{\delta_1}$  35-44  $\xrightarrow{\delta_2}$  45-54  $\xrightarrow{\delta_3}$  55-64  $\xrightarrow{\delta_4}$  65+  $\xrightarrow{\delta_5}$  death

- Dying households replaced by newborns

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- Labor income

$$\log y(\tau, i) = M_\tau + \epsilon_{i,\tau}$$

- $M_\tau$  is a common age-dependent component,
- $\epsilon_{i,\tau}$  is a residual component where  $i \in \{1, \dots, 10\}$  is the income decile,
- $i$  follows Markov process with age-specific transition matrix  $\Psi_\tau$ .

- Discount factor  $\beta < 1$
- Period utility

$$u(c, s, \tau, \mathbb{I}_{h>0}) = \frac{1}{1 - \gamma} \left[ (c/n_\tau)^\zeta (\xi_{\mathbb{I}_{h>0}}^\tau s/n_\tau)^{1-\zeta} \right]^{1-\gamma}$$

- $c$  and  $s$  are consumption of **goods** and **housing services**
- Equivalence scale  $n_\tau$  captures household size variations over the life cycle
- Shift parameter  $\xi_{\mathbb{I}_{h>0}}^\tau$  reflects preferences for owning versus renting (only for retirees, i.e.  $\xi_{\mathbb{I}_{h>0}}^\tau = 1$  for working-age households  $\tau \leq 4$ )
- No bequest motive (accidental bequests)

# Housing

- Housing units  $h \geq h_{\min}$ , traded at price  $p$
- Owned by households or real-estate firms
- Household owner consumes housing services  $s \leq h$ , rents out  $h - s \geq 0$  at rate  $\bar{p}$
- **Transaction costs**  $t^b$  (buyer) and  $t^s$  (seller) of purchase price

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- Trend depreciation and idiosyncratic house value risk:

$$\log h' = \log(1 - \delta) + \log h + \chi' , \chi' \sim \mathcal{N}(-\sigma_\chi^2/2, \sigma_\chi^2)$$

## Rental markets and social housing

- Renters ( $h = 0$ ) may rent in the private market at idiosyncratic rent  $\rho$  which follows

$$\log \rho' = (1 - \omega) \log \bar{\rho} + \omega \log \rho + \nu' , \nu' \sim \mathcal{N}\left(-\frac{\sigma_\nu^2}{2(1 + \omega)}, \sigma_\nu^2\right)$$

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- Renter gains access to **social housing** with probability  $\pi$  if income is below  $\bar{y}$ .
- Then rent up to  $s \leq \bar{s}$  at (safe) rent  $\rho^s < \bar{\rho}$ .
- Households leave social housing
  - endogenously when they buy or want to rent  $s > \bar{s}$ .
  - exogenously with probability  $\eta$ .

## Financial Assets

- Risk-free asset ( $a \geq 0$ ) with interest rate  $r$
- Mortgage loans ( $a < 0$ ) at rate  $r^m$
- Mortgage borrowing subject to down payment constraint:

$$a \geq -(1 - \theta_\tau)ph$$

where parameter  $\theta_\tau$  is age-dependent



## Real-estate firms

- Pay monitoring costs  $c^m$  per unit of rented housing
- Buy regular and social housing units at prices  $p$  and  $p^s$

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- Buy regular and social housing units at prices  $p$  and  $p^s$
- Commitment period of social housing unit ends with probability  $\Phi \Rightarrow$  price adjusts to  $p$
- Zero-profit conditions:

$$(r + \delta)p = \bar{p} - c^m$$

$$(r + \delta)p^s = \rho^s - c^m + \Phi(p - p^s)$$

## Construction sector

- Produces regular and social housing units,  $I$  and  $I^s$  at cost  $K(I + I^s)$ , where  $K' > 0$ ,  $K'' > 0$ .
- Profit maximization:

$$p = K'(I + I^s) = p^s + \varsigma ,$$

where  $\varsigma$  is the government subsidy for social housing construction

- Steady state:

$$\delta(\bar{H} + \bar{H}^s) = I + I^s , \quad (\Phi + \delta)\bar{H}^s = I^s ,$$

where  $\bar{H}$ ,  $\bar{H}^s$  are stocks of regular and social housing.

# Government

- Taxes households' income and real-estate transactions, pays pensions to retirees, subsidizes construction of social housing
- Taxable income includes labor, capital and rental income minus interest payments for mortgages on rental units
- Real estate transfer tax:  $\tilde{t}^b \leq t^b$

# Household problem

$$V(\tau, i, \rho, \sigma, a, h) = \max_{c, s, a', \tilde{h}', \tilde{\sigma}} u(c, s; \tau, \mathbb{I}_{h>0}) + \beta \mathbb{E}V(\tau', i', \rho', \sigma', a' + b', h') \quad \text{s.t.}$$

$$c + a' + p\tilde{h}' = y(\tau, i) + [1 + r\mathbb{I}_{a>0} + r^m\mathbb{I}_{a<0}]a + ph + \max(\bar{\rho}(h - s), 0) - \tilde{\rho}s\mathbb{I}_{h=0} \\ - T_\tau(y^t) - \mathbb{I}_{\tilde{h}' \neq h}(t^b p\tilde{h}' + t^s ph),$$

$$\tilde{h}' \in \mathcal{H} \cup \{0\}, \quad s \geq 0, \quad s \leq h \text{ if } h > 0,$$

$$a' \geq -p\tilde{h}'(1 - \theta_\tau), \quad \log h' = \log(1 - \delta) + \log \tilde{h}' + \chi',$$

$$\tilde{\sigma} \in \{0, 1\} \text{ and } \tilde{\sigma} = 0 \text{ if } \sigma = 0 \text{ or if } s > \bar{s},$$

$$\tilde{\rho} = \rho^s \text{ if } \tilde{\sigma} = 1, \text{ and } \tilde{\rho} = \rho \text{ otherwise,}$$

$$\log \rho' = \begin{cases} (1 - \omega) \log \bar{\rho} + \omega \log \rho + \nu' & , \text{ if } h = 0, \\ \sim \mathcal{N}(\log \bar{\rho} - \frac{\sigma_\nu^2}{2(1-\omega^2)}, \frac{\sigma_\nu^2}{1-\omega^2}) & , \text{ otherwise,} \end{cases}$$

$$\sigma' = \begin{cases} 1 & , \left\{ \begin{array}{l} \text{with prob. } \pi_{\tau'}(y(\tau', i')) \text{ if } \tilde{\sigma} = 0 \text{ and } h' = 0, \\ \text{with prob. } 1 - \eta \text{ if } \tilde{\sigma} = 1 \text{ and } h' = 0, \end{array} \right. \\ 0 & , \text{ otherwise,} \end{cases}$$

$$y^t = y(\tau, i) + r \max[a, 0] + \bar{\rho} \max(0, h - s)$$

$$- r^m \min \{ \max[-a, 0], \max[\rho(h - s)(1 - \theta_\tau), 0] \}.$$

# Stationary equilibrium

Value function  $V$ , policy functions  $C(\cdot)$ ,  $S(\cdot)$ ,  $\Sigma(\cdot)$ ,  $A(\cdot)$ ,  $H(\cdot)$ , distribution  $\mu$  over  $(\tau, i, \rho, \sigma, a, h)$ , bequest distribution  $B(\cdot)$ , house prices  $p$ ,  $p^s$ , rental rate  $\bar{p}$ , construction  $I$ ,  $I^s$  and housing stocks  $\bar{H}$  and  $\bar{H}^s$ , social housing access probability  $\pi$ :

- 1 Value and policy functions solve the household problem.
- 2 Real-estate firms and construction firms maximize profits.
- 3 Housing market equilibrium

$$\bar{H} + \bar{H}^s = \int S(\tau, i, \rho, \sigma, a, h) d\mu(\tau, i, \rho, \sigma, a, h) .$$

- 4 Social housing occupied by renters with access to it:

$$\bar{H}^s = \int S(\tau, i, \rho, \sigma, a, h) \mathbb{I}_{\bar{\sigma}(\tau, i, \rho, \sigma, a, h)=1} d\mu(\tau, i, \rho, \sigma, a, h) .$$

- 5  $\mu$  is a stationary distribution.
- 6  $B(\cdot)$  is identical to the distribution of  $a' + p(1 - t^s)h'$  for households in age group  $\tau = 5$ .
- 7 Housing stocks  $\bar{H}$  and  $\bar{H}^s$  are stationary.

# CALIBRATION

# Calibration

- **Labor income** process estimated from German SOEP 1995-2015
- Parameterize **income tax function** as  $T_\tau(y^t) = y^t - \lambda_\tau(y^t)^{1-\phi_\tau}$
- Estimate  $\{\lambda_\tau, \phi_\tau\}_{\tau=1}^5$  based on gross and net income data from SOEP
- Stylized version of German **pension system**: 42% repl. rate with caps



## Externally calibrated parameters

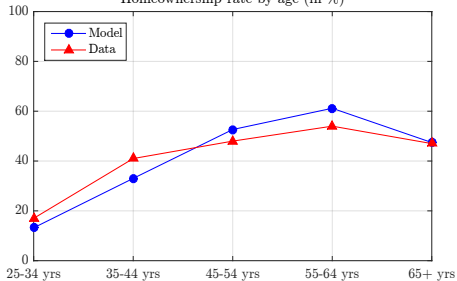
Parameter		Value	Explanation/Target
Household size	$(n_1, \dots, n_5)$	(1.4,1.7,1.7,1.4,1.4)	OECD equival. scale
Ageing probabilities	$\vartheta_1, \vartheta_2, \vartheta_3, \vartheta_4$	0.1	10-year age groups
Death probability	$\vartheta_5$	0.05	20-year retirement
Inheritance rate	$\pi^I$	0.05	Random beq. $\tau = 1, 2$
Risk aversion	$\gamma$	2	Standard parameter
Expenditure share	$\zeta$	0.717	Consumption shares
Real interest rate	$r$	0.0255	Average 1991–2014
Real mortgage rate	$r^m$	0.0374	Average 1991–2014
Downpayment req.	$\theta_1, \theta_2, \theta_3$	0.20	Chiuri/Jappelli (2003)
Downpayment req.	$(\theta_4, \theta_5)$	(0.60,1.0)	No mortg. in retirement
Transaction costs	$(t^b, \tilde{t}^b, t^s)$	(0.108,0.052,0.029)	Brokerage fees, RETT
Depreciation rate	$\delta$	0.01	100-yr housing lifespan
Social rent discount	$\rho^s / \bar{\rho}$	0.80	Deschermeier et al (2015)
Transformation rate	$\Phi$	0.04	Schier/Vogtländer (2016)
House value risk	$\sigma_\chi$	0.104	SOEP
Rental rate persistence	$\mu_\rho$	0.404	SOEP
Rental rate volatility	$\sigma_\nu$	0.094	SOEP
Minimum house size	$h_{\min}$	80	SOEP
Inv. supply elasticity	$\varphi$	2.34	Caldera et al. (2013)

## Internally calibrated parameters

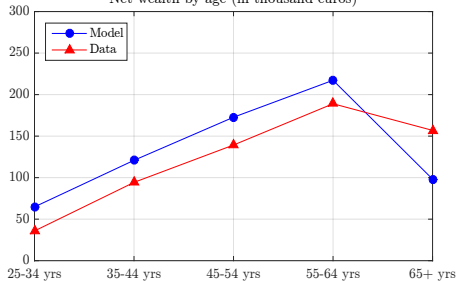
Parameter		Value	Target	Model	Data
Discount factor	$\beta$	0.9485	Average wealth	128.7	128.7
Monitoring cost (%)	$c^m$	0.0189	Homeownership (%)	42.5	42.2
Utility weight owner 65+	$\xi_1^5$	1.37	Homeownership 65+ (%)	47.4	47.6
Social h. upper size	$\bar{s}$	212	$s_{99\%}^{SH} / s_{99\%}^{Market}$	0.726	0.731
Social h. subsidy	$\varsigma$	0.1442	Social housing share	0.071	0.071
Social h. exogenous exit	$\eta$	0.0155	Social housing move-in rate	0.0128	0.0128
Construction cost	$k_0$	0.2898	Normalization $p = 1$	–	–

# MODEL FIT

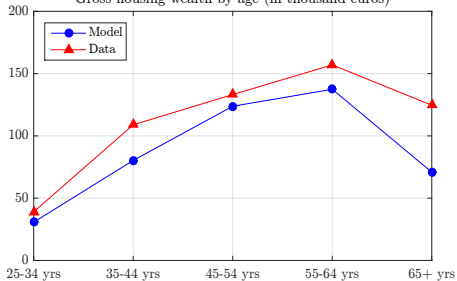
Homeownership rate by age (in %)



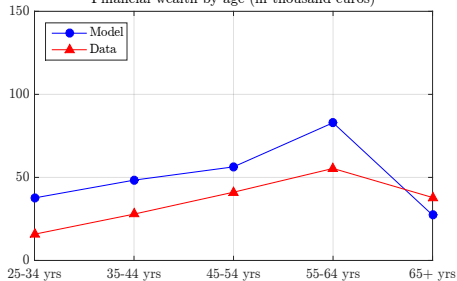
Net wealth by age (in thousand euros)



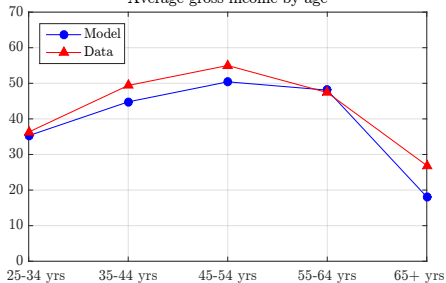
Gross housing wealth by age (in thousand euros)



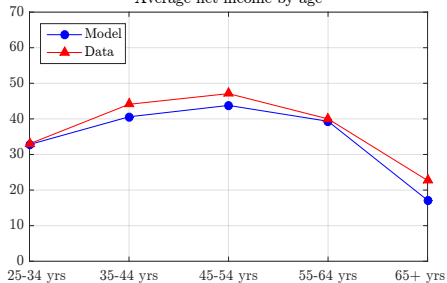
Financial wealth by age (in thousand euros)



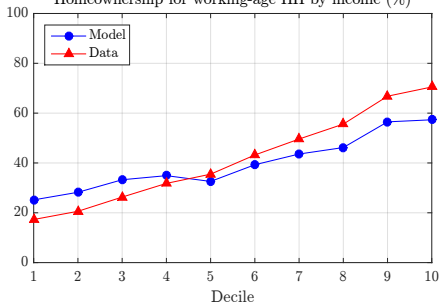
Average gross income by age



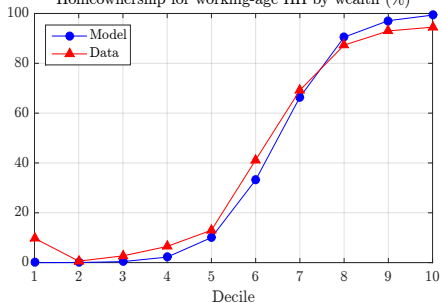
Average net income by age



Homeownership for working-age HH by income (%)



Homeownership for working-age HH by wealth (%)



# RESULTS

# Accounting for Low Homeownership

- **Quantify** importance of housing policies for **homeownership** and then evaluate welfare
- Counterfactual experiments:

# Accounting for Low Homeownership

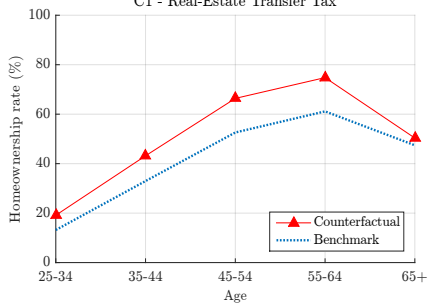
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  - C2:** Mortgage interest payments are fully tax deductible.
  - C3:** No social housing.
  - C4:** Full combination of C1-C3.



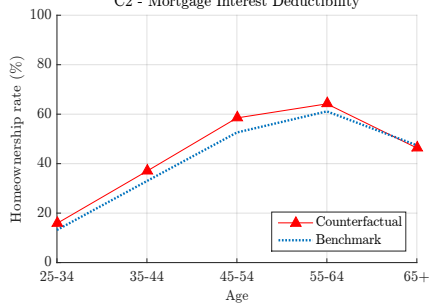
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- General equilibrium and revenue neutrality

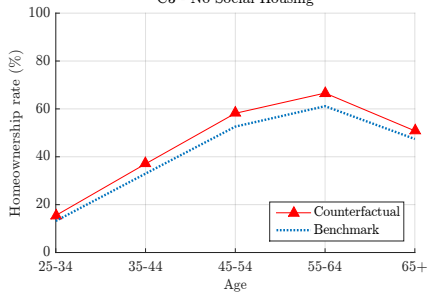
C1 - Real-Estate Transfer Tax



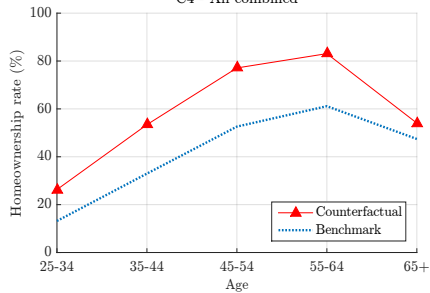
C2 - Mortgage Interest Deductibility

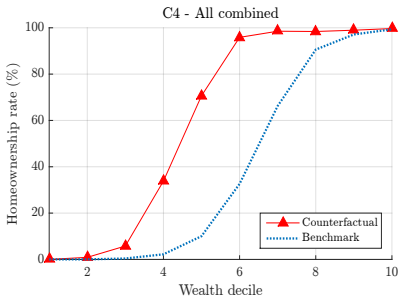
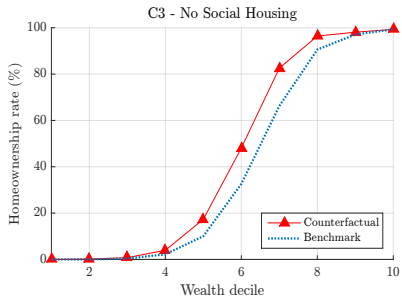
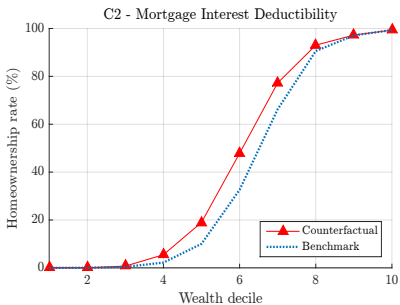
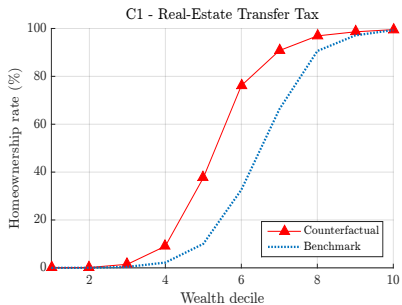


C3 - No Social Housing



C4 - All combined





### General equilibrium and revenue neutrality

	Bench	RETT C1	Mort Ded C2	No SocialH C3	Combination C4
Homeownership (%)	<b>42.5</b>	50.7	44.7	46.4	<b>58.0</b>
– 25-34 yrs	13.2	19.1	15.8	15.5	26.3
– 35-44 yrs	33.0	43.2	37.0	37.0	53.4
– 45-54 yrs	52.6	66.4	58.5	58.2	77.1
– 55-64 yrs	61.1	74.8	64.2	66.6	83.1
– 65+ yrs	47.4	50.4	46.3	50.8	54.1
Total wealth	128.6	138.9	131.2	133.0	142.9
– Housing	85.6	107.2	92.7	93.1	121.3
– Financial	46.6	37.7	43.9	44.0	31.3
House price	1.000	1.019	1.008	0.996	1.014
Rationing prob $\pi$ (%)	1.28	1.60	1.34	0	0

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### Partial equilibrium with fixed taxes and house prices

	Bench	RETT C1	Mort Ded C2	No SocialH C3	Combination C4
Homeownership (%)	42.5	53.3	45.9	46.2	59.2
Total wealth	128.6	142.4	132.7	132.4	146.2
House price	1.000	1.000	1.000	1.000	1.000
$\Delta$ Gov't BC (per HH)	–	-0.329	-0.067	+0.081	-0.432
$-\Delta$ RETT Rev	–	-0.260	0.025	0.028	-0.256
$-\Delta$ IncTax Rev	–	-0.085	-0.097	-0.015	-0.243
$-\Delta$ SocHous Subs	–	-0.016	-0.005	-0.068	-0.068
$\Delta$ Demand (in %)	–	2.84	1.12	-0.63	2.94
–Income Q1	–	3.95	1.25	-1.10	3.24
–Income Q2	–	3.63	1.82	-1.19	3.62
–Income Q3	–	2.87	1.30	-0.92	2.49
–Income Q4	–	2.04	0.82	-0.51	2.16
–Income Q5	–	2.42	0.72	0.10	3.35

## Welfare Effects

- **Welfare:** Percentage consumption equivalence to the benchmark of a newborn household, after drawing the first income realization.

▶ Transition

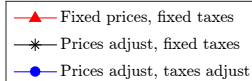
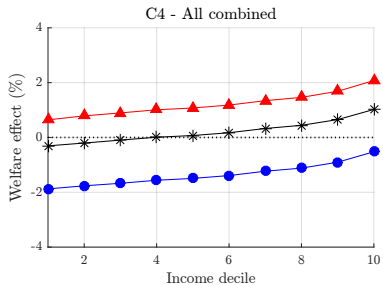
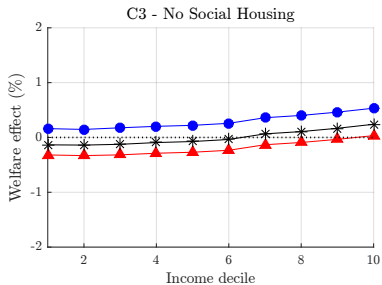
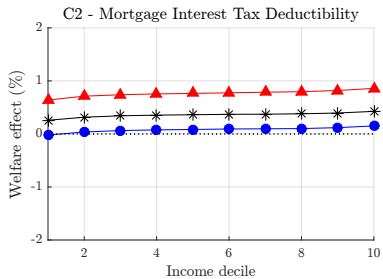
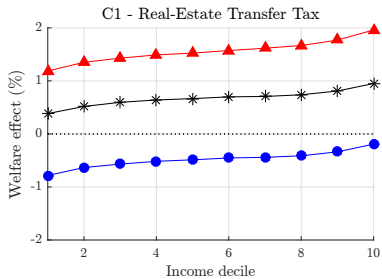


## Welfare Effects

- **Welfare:** Percentage consumption equivalence to the benchmark of a newborn household, after drawing the first income realization.

▶ Transition

- Compute welfare results for C1-C4 in 3 steps:
  1. Fixed prices (PE) and fixed taxes.
  2. Adjusted prices (GE) and fixed taxes.
  3. Adjusted prices (GE) and adjusted taxes (fiscal neutrality).



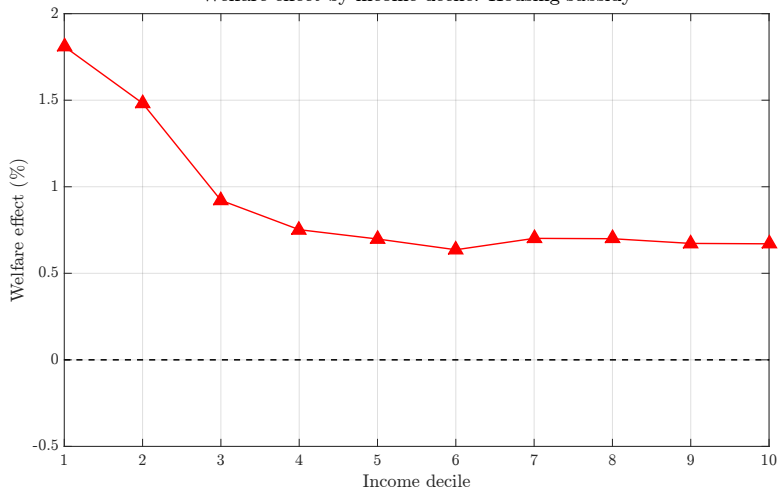
## Direct Housing Subsidy

- Low transaction taxes and mortgage interest tax deductions do not bring welfare gains, especially not for low-income households
- Abolishing social housing improves welfare, but more so for high-income households
- Alternative policies targeting low-income households?

## Direct Housing Subsidy

- Low transaction taxes and mortgage interest tax deductions do not bring welfare gains, especially not for low-income households
- Abolishing social housing improves welfare, but more so for high-income households
- Alternative policies targeting low-income households?
- **Direct housing subsidy:** Abolish social housing and introduce targeted housing subsidies to households in the lowest two deciles (owners and renters). Spending on the policy equal to social housing spending in the benchmark.

Welfare effect by income decile: Housing subsidy



	Benchmark	Housing subsidy
Homeownership (%)	42.5	46.1
– 25-34 yrs	13.2	15.0
– 35-44 yrs	33.0	36.5
– 45-54 yrs	52.7	57.5
– 55-64 yrs	61.2	66.2
– 65+ yrs	47.4	50.6
Total wealth	128.7	132.1
– Housing	85.7	92.4
– Financial	46.6	43.9
House price	1.000	0.998

NOTE: All monetary values in thousand euros.

## Conclusions

- **Social housing and tax policies** account for **two thirds of the homeownership gap** between Germany and the U.S.
- Implementing tax policies as in the U.S. **does not lead to welfare gains**
  - **Higher income taxes** are required to balance the government budget
  - **House price increases** due to stronger housing demand
- Abolishing **social housing** raises homeownership and brings (small) long-term welfare gains due to lower prices and taxes.
- **Direct housing subsidies** induce larger welfare gains for low-income households.

# Housing policies and homeownership

Country	HOR	MID	Subs.	RETT	SH
Germany	44	+	++	+	+
France	55	+	++	+	+
United Kingdom	64	++	+++	+++	+
United States	67	+++	++	+++	+++
Italy	68	++	++	++	++
Spain	82	+++	+++	+	+++

NOTES: More + signs indicate policies more favorable for homeownership.



### Welfare effects for the population alive at the time of the reform

	RETT C1	Mort Ded C2	No Social H C3	Combination C4
Fraction of winners (%)	15.9	27.0	88.8	17.7
– 25-34 years	17.5	99.4	82.1	20.9
– 35-44 years	22.9	51.2	84.9	31.1
– 45-54 years	20.1	8.0	82.9	27.2
– 55-64 years	21.6	2.9	90.7	19.0
– 65+ years	6.7	0.3	96.2	4.1
Average welfare effect <sup>†</sup> (%)	-0.56	-0.16	0.22	-0.59

NOTES: Fraction of households who benefit from the reform and average welfare effect for the population alive at the time of the reform. <sup>†</sup> In consumption equivalent variations.

### Homeownership rate (%)

